Significant Figures Enriched Notes

Which digits are significant?

- Rule #1: All non-zero digits are significant. 24 has two sig figs, 24.1 has 3 sig figs
- **Rule #2**: All zeros bounded by non-zero integers are significant. 2004 has four sig figs 20.04 also has 4 sig figs
- **Rule #3**: Zeros placed before other digits (leading zeros) are not significant. 0.024 has 2 sig figs
- Rule #4: Zeros at the end of a number are significant ONLY if they come after a decimal point.
 2.40 has three sig figs 240 only has 2 sig figs

Practice:		
409.25	0.050	0.003500
83	300 900	0.916
98.207	4.67 x 10 ⁻⁷	0.200
0.001	45.030	5 234 000
4.3 x 10 ²	35 000	150 000 001
0.003050	0.004400	460 090
4 200	16.8090	50.00300

Rules for Addition and Subtraction

• Answers must be rounded to the **same decimal place** (not sig figs) as the **least** number of decimal places in any of the numbers being added or subtracted.

Ex. 2.42 + 14.2 + 0.6642 = 17.2842 becomes

• If there is no decimal point in one of the numbers, all decimal points are dropped.

Rules for Multiplication and Division

• The number of sig figs in the answer should be the same as in the number with the least sig figs being multiplied or divided.

Ex. 7.3 x 1264 = 9227.2 becomes

When doing multiple steps in a word problem

- Solve each step using order of operations.
- Do not round off any number.
- Once you have your final answer, then you use significant figures according to the last step you do.

Ex: $125 \times 345.5 = 43187.5 = 527.3199023$ becomes 65.3 + 16.6 81.9

Exceptions and special circumstances

1. Adding and scientific notation

 $\frac{(5.8 \times 10^2) + 368}{4.87 \times 10^5}$

 When adding and using SN, the exponents must be the same. You have 2 options to solve the problem.
 1- Convert 5.8 x10² to 580 and get rid of the exponent 580 + 368
 2- Convert 368 to the same exponent so it becomes 3.68 x 10² 5.8 x 10² + 3.68 x 10²
 Both are correct, but option 1 is easier

2. Rounding off and keeping a zero as a significant digit

<u>8253.0569</u> = 649.847 12.7

• In this example you must keep 3 sig figs in your answer. When rounding off 649.847 should become 650.

Problem, 650 only has 2 sig figs Solution: put a – above the zero, this makes it significant. Becomes

3. Having many insignificant zero's and addition

• When adding the following: 136.2 + 2 500 000 + 14.01 We get 2 500 150.21 which should become 2 500 150.

EXCEPT, we have to use sig figs, and the addition rule says that we must round to the least precise decimal place. Therefore, because 2 500 000 is only precise to the hundred thousands place, we need to round the answer to 2 500 000.

You cannot be more precise than your least most precise number.
This is true for any additions that end in non sig. zero's. ex5 500 + 15 = 55 15 but becomes
310 + 6 = 316 but becomes
259 500 + 1670 + 23 = 261 193 but becomes

4. Converting units

When converting units, sig figs need to be maintained.
 Ex 1- 4.0 cm to m becomes 0.040 m not 0.04 m
 Ex 2- 1250 mL becomes 1.25 L not 1.250 L

5. Constants

• When there is a constant in a formula, the constant does not count as a significant figure.

ex: Coulomb's constant 9.00 x 10⁹ Nm²/C²

SIG FIGS PRACTICE

1. How many sig figs are in each of the following numbers?

- a) 0.09304 f) 1204.0
- b) 6.58 x 10⁷ g) 2.9 x 10⁻³
- c) 0.0200 h) 2.4 x 10⁷
- d) 0.10101 l) 460
- e) 4.508 J) 23.230
 - 2. Solve using the correct number of significant figures.

a- 13.5 x 14.2 x 13.080 x 0.01 = 25.07436 =

b- 187 x 0.008 ÷ 14.2887 = 0.104698118 =

c- 911 x 677 x 0.0089 = 5489.0483 =

d- $8.0 \times 10^5 \div 4.02 \times 10^9 = 0.000199005 =$

e- (1.23×10^5) $(1.445 \times 10^7) \div 0.023 = 7.727608696 \times 10^{13} =$